

Ques. Describe the construction and action of a Babinet's compensator. Describe its use in the analysis of an elliptically polarised light?

OR

Explain a Babinet Compensator and discuss how it can be used by Kex respect?

Ans → Babinet's compensator →

It is a useful device, used in the production and analysis of elliptically polarised light. It consists of two quartz wedges of equal small acute angles, placed with their hypotenuses in contact so as to form a small rectangular block. The wedge on the left is cut with its optical axis perpendicular to the refracting edge and that on the right with its optical axis

parallel to the refracting edge. one of the wedge is fixed, while the other can be moved in its own plane by means of a micrometer screw.

When plane polarised light falls normally on the first wedge with its plane of vibration making an angle θ with the optic axis it is broken up into E and O components. The E components parallel to the optic axis travel slower than the O-components perpendicular to the optic axis on entering the second wedge, the E components becomes the O-components and vice-versa. In other words the two components exchanges velocities in passing from the one wedge to the other, thus the two wedge tend to cancel each others effects.

Let t_1 and t_2 be the thickness of two wedge shaped section A and B traversed by a particular ray, and μ_e and μ_o the refractive indices of quartz

Notations

face of the E and O components respec-
 tively. Thus the path difference
 introduced between the two
 components by the first wedge
 is $t_1(\mu_e - \mu_o)$ and that introduced
 by the second wedge is $t_2(\mu_e - \mu_o)$.
 Hence, the resultant path difference

$$= (t_1 + t_2)(\mu_e - \mu_o).$$

At the centre of the compensator
 where $t_1 = t_2$ the resultant path
 difference is zero so that the
 emergent light is plane-polarised

Sunday

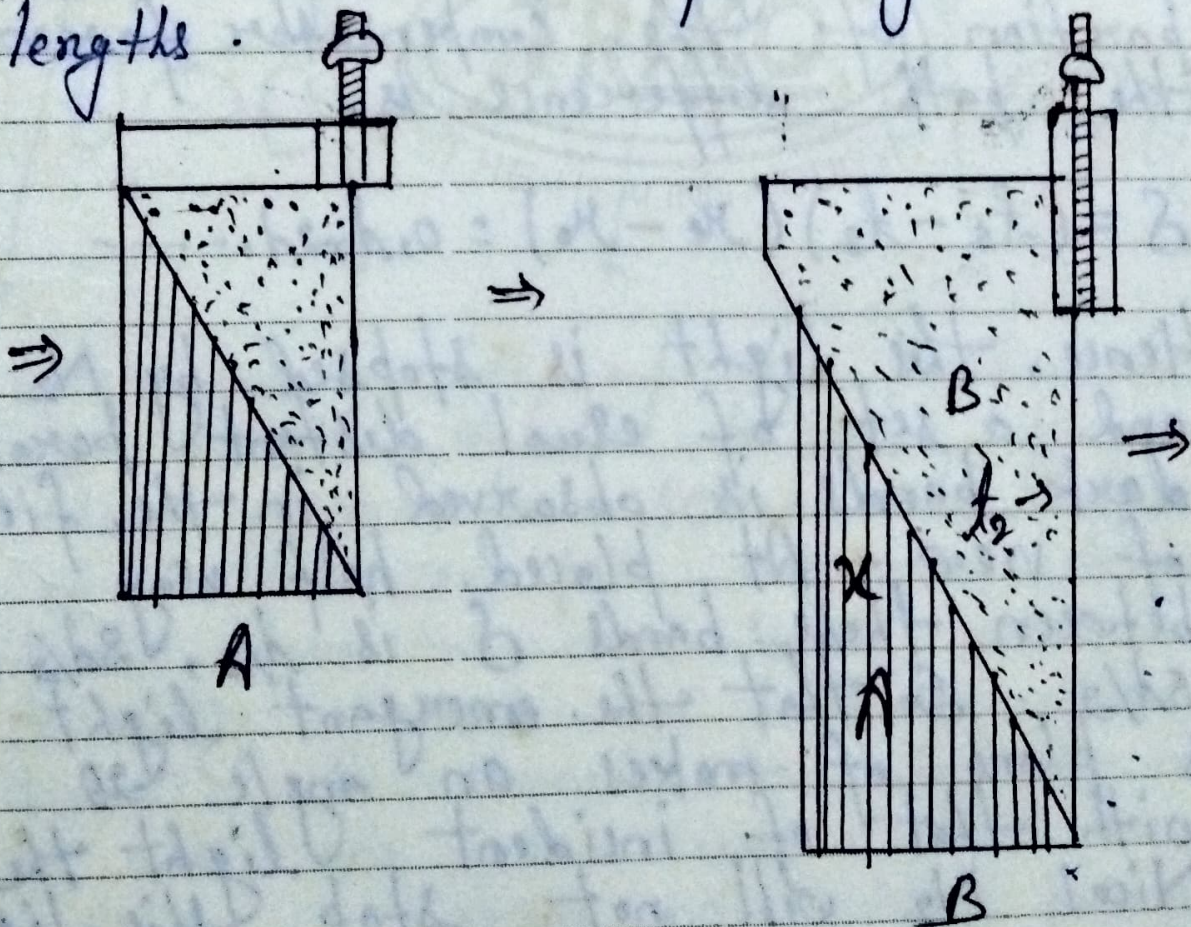
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April

104th Day

in the original plane. The crystals
 A and B are mounted such
 that A is fixed, and with the
 help of a rack and pinion
 arrangement. In this way $(t_1 - t_2)$
 can be made to have any
 desired value.

8 By moving the second wedge
 relative to the first, any value
 of centre ($t_1 - t_2$) can be arranged
 9 at the centre of the compensator
 and then this portion can be used
 10 as a quartz wave plate. Thus the
 compensator has an advantage over
 11 a quarter-wave-plate. The quartz
 wave-plate produce a path difference
 12 of $\lambda/4$ for one particular wave-length.
 where as the compensators can be
 13 used be adjusted for any wave-
 lengths.



Analysis of elliptically polarised light using Babinet's compensator.

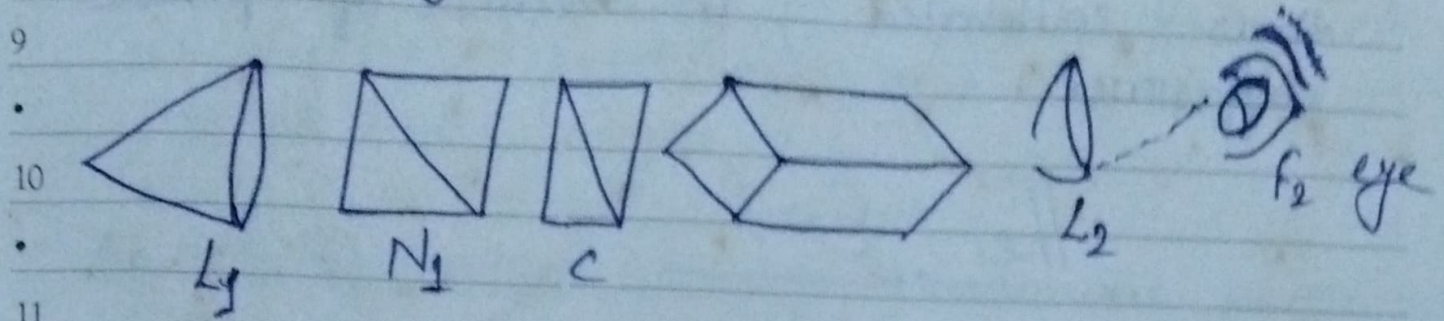
Calibration: \rightarrow

It is first necessary to calibrate the micrometer screw of the compensator. The experimental arrangement is shown in fig [A3]. The compensator C is placed between two crossed nicols N_1 and N_2 (polarised and analyser). The plane polarised light travelling through the portion of the compensator for which the path difference is,

$$S = (t_1 - t_2)(\mu_e - \mu_o) = 0, d, 2d, \dots$$

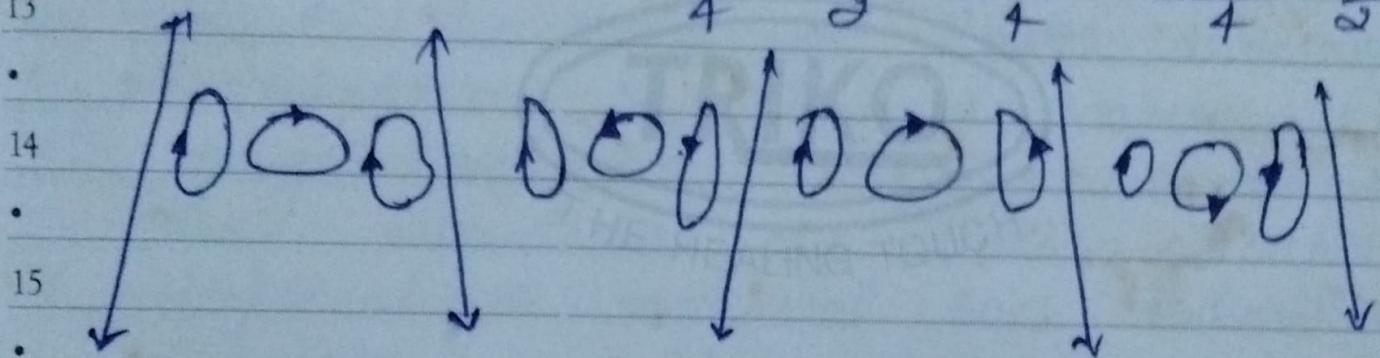
Hence, this light is stopped by N_2 and a set of equal distant parallel dark bands is observed in the field of view. At placed half way between those bands S is $d/2, 3d/2, 5d/2$. So that the emergent light is plane of makes an angle 2θ with that of incident light the Nicol N_2 will not stop this light

and $\theta = 45^\circ$. If white light is used, only others will be coloured.



$$\delta = -2\pi \cdot \frac{7\pi}{4} - \frac{3\pi}{2} - \frac{5\pi}{4} - \pi - \frac{3\pi}{4} - \frac{\pi}{2} \cdot 0 -$$

$$\frac{\pi}{4} \cdot \frac{\pi}{2} \cdot \frac{3\pi}{4} - \frac{\pi 5\pi}{4} \cdot \frac{3\pi}{2} \cdot \frac{7\pi}{2} \cdot 2$$



When one wedge of the compensator is moved relative to other by rotating the micrometer screw. The position of the zero path difference shifts. There fore the dark bands move laterally across. The field of view the screw is turned to bring the next b and one cross wire and the reading is again noted. This produced

is repeated for a number of bands
and α is obtained the screw is
thus calibrated in terms of phase
difference.

The End